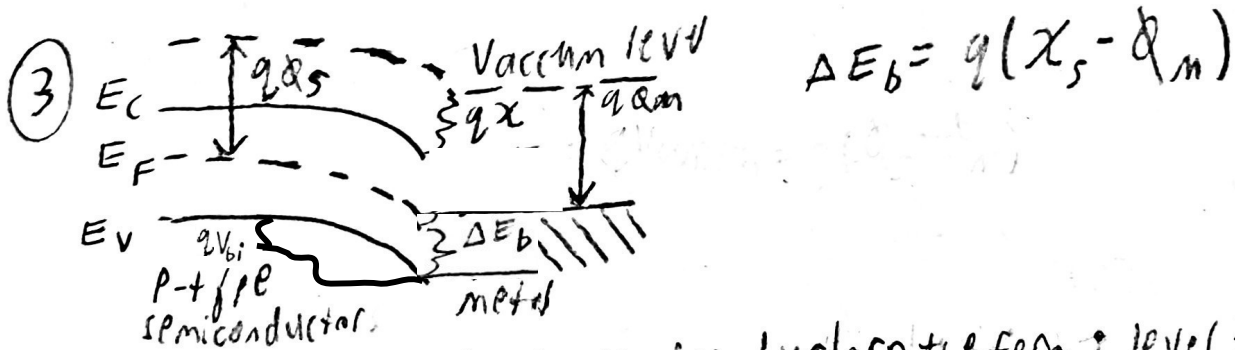
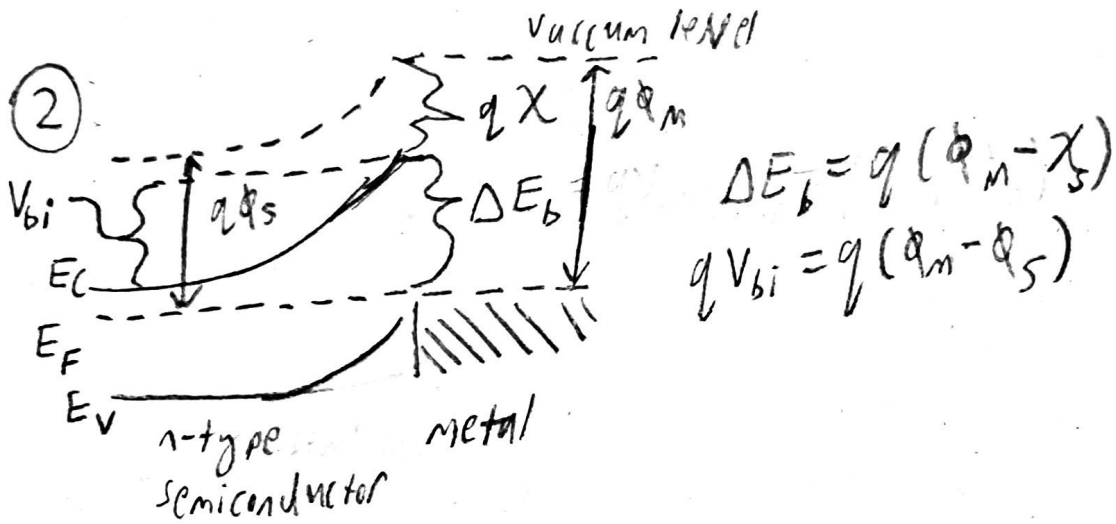


# Solutions to chapter 3 problems

① At the interface between semiconductors and metals, there exists a slant in both  $E_C$  and  $E_V$  within the semiconductor. The height of this slant is  $q \cdot V_{built-in}$ , where  $V_{built-in}$  is the difference between the metal's work function and the semiconductor's electron affinity. The Fermi energy level remains static throughout (when the two regions are making contact). The work function of a material (either metal or semiconductor) is the energy difference between its Fermi energy level and electron vacuum energy. A semiconductor's electron affinity is the energy difference between the bottom of its conduction band and the vacuum energy level.



In p-type semiconductors the Fermi level tends to be near the bottom of the conduction band while in n-type semiconductors it is near the top of the valence band. It is in this diagram that the differences in the above energy diagrams may be attributed.

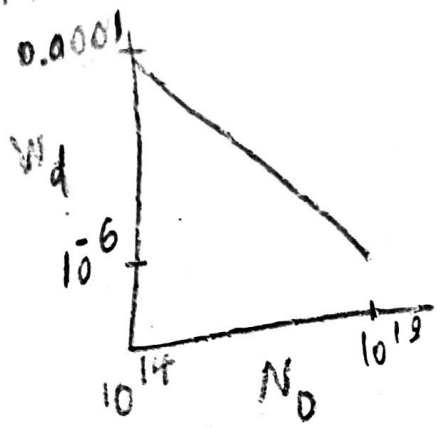
④ depletion region width as a function of dopant concentration is given as follows: zero in this case

assume  
chrome  
-silicon junction

$$W_D = \sqrt{\frac{2\epsilon_0\epsilon_s\phi}{qN_D}}$$

where  $\phi = V_{BI} + V_{applied}$

and  $V_{BI} = \frac{1}{q} (\Delta E_b - k_B T \ln \frac{N_C}{N_D})$

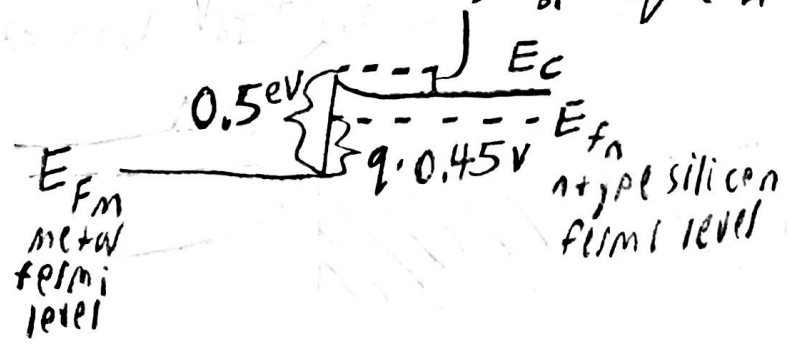


note  $\frac{k_B T}{q} = 0.026 \text{ eV}$  and  $E_b = \phi_m - \chi_s = 4.5 - 4.05 \text{ eV} = 0.45 \text{ eV}$

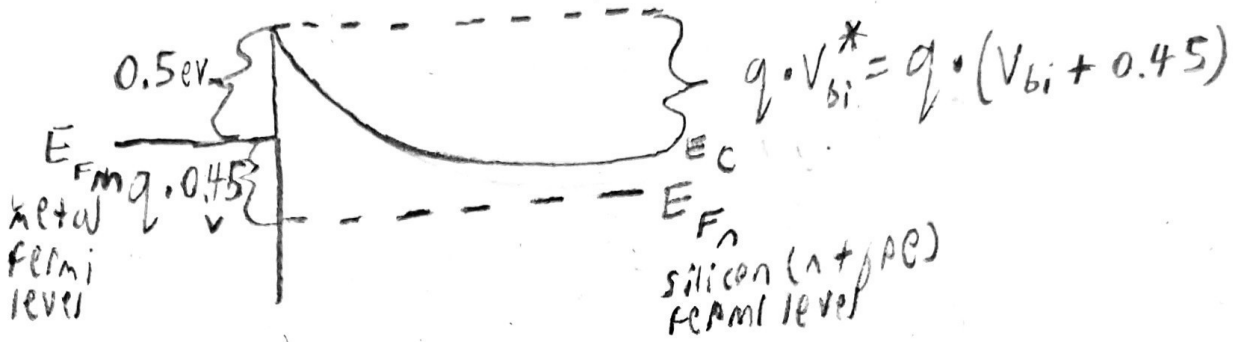
applying a double log scaling to both the x and y axes yields a linear graph

⑤ a reverse bias (applied potential) has the same sign as the built-in voltage (negative terminal applied to n-type silicon and vice versa) and increases the width of the depletion region and the height of the energy barrier while a forward bias has the opposite sign of  $V_{built-in}$  and the opposite effects on  $W_D$  and  $\Delta E_b$

⑥  $q \cdot V_{bi}^* = q \cdot (V_{bi} - 0.45)$



7



8

$$\frac{A}{\text{cm}^2 \cdot \text{K}^2} \cdot \text{K}^2 e^{\left(\frac{eV}{K} \cdot K\right)} \quad 3.13$$

$$\frac{A}{\text{cm}^2} e^{\left(\frac{eV}{K} \cdot \frac{K}{eV}\right)}$$

$$\frac{A}{\text{cm}^2} e^1$$

$$\frac{A}{\text{cm}^2}$$

$$e \text{ cm} \sqrt{\frac{\text{kg}}{\text{eV}^2 \cdot \text{s}^2}} (eV - eV)$$

$$e \text{ cm} \sqrt{\frac{\text{kg}}{\text{eV}^2 \cdot \text{s}^2}} eV$$

$$e \text{ cm} \sqrt{\frac{\text{kg}}{\text{eV} \cdot \text{s}^2}}$$

$$e \frac{\text{cm}}{\text{s}} \sqrt{\frac{\text{kg}}{\text{eV}}}$$

3.14

10

the expression for sheet resistance

$$R_s = \frac{1}{\int_0^d q \mu N_D(x) dx}$$

assume room temperature  
and low dopant concentration

this integral  
would evaluate  
differently  
if  $N_D$  were  
a function  
of implantation  
depth  $d$

$$R_s = \frac{1}{\int_0^d (1.602 \cdot 10^{-19}) (4.9 \cdot 10^7 \cdot (300)^{-3/2}) \cdot 10^{17} dx}$$

$$R_s = \frac{1}{d \cdot 151.07} \Omega$$

implantation depth